

GOL'DENVEYZER, A. I.

"On the Application of the General Laws of the Theory of Elasticity to Thin Shells," Prikl. Matem. i Mekh. Vol. 8, No. 1, 1944, pp. 3-14

GOL'DENVEYER, A. L.

"Investigation of Spherical Shells under a State of Strain," Prikl Matem i Mekh  
Vol. 8, No. 6, pp. 441-467, 1944

COL'DENWEYZER, A. L.

"Qualitative Investigation of the State of Tension of Thin Shells," Prikl. Matem. i Mekh.,  
Vol. 9, No. 6, 1945, pp. 464-478

GOL'DENVEYZER, A. I.

"On the Integration of a System of Differential Equations of the Theory of Thin Shells," Report at the Meeting on the Theory of Elasticity, Building Mechanics and Plasticity, 25-28 March 1946. Published in the Doklady of the Meeting.

GOLDENVEYSER, A. L.

Goldenveiser, A. L. Problems of integration of equations of the theory of thin shells. Appl. Math. Mech. [Akad. Nauk SSSR, Izv. Mat. Mech.] 15, 387-396 (1945). (Russian. English summary)

The author gives a method of determining the edge effect along those contours of the shell whose tangents do not coincide with the asymptotic lines of the middle surface. The integration of the system of equations of the shell theory is reduced, in several cases, to the integration of momentless theory. This paper is a sequel to the author's earlier paper [same journal 9, 463-478 (1945); these Rev. 7, 351].  
I. S. Sokolnikoff (Los Angeles, Calif.)

Source: Mathematical Reviews,

Vol. 8, No. 4

230

GOL'DEWEYZER, A. L. D., Physicomath Sci.

Dissertation: "Qualitative Investigation of the Equations of the Theory of Thin Shells and Certain Methods of Their Integration." Inst. of Mechanics, Acad. Sci. USSR, 25 Feb 47.

SO: Vechernyaya Moskva, Feb, 1947 (Project #47006)

GOLDENWEISER, A. L.

Goldenweiser, A. L. Momentless theory of shells whose middle surface is of a curve of the second order. Appl. Math. Mech. [Akad. Nauk SSSR, Prikl. Mat. Mech.] 11, 285-290 (1947). (Russian. English summary)

[A more accurate translation of the Russian title would omit the phrase "of a curve." ] This note indicates that the solution of the problem of momentless shell theory for shells whose middle surfaces are quadrics is reducible, by a suitable change of dependent and independent variables, to the integration of Poisson's or wave equations.

I. S. Sokolnikoff (Los Angeles, Calif.)

Source: Mathematical Reviews, 1948, Vol. 9, No. 2

GOLDENWEISER, A. L.

Goldenweiser, A. L. Approximate calculation of thin shells of zero Gauss curvature. Akad. Nauk SSSR, Prikl. Mat. Mekh. 11, 409-422 (1947). (Russian. English summary)

The main object of this paper is a qualitative analysis of stressed states in thin elastic shells with developable middle surfaces. The paper also contains an outline of the methods of approximate calculation of stresses. The shell is covered by a net of lines of curvature  $\alpha, \beta$  (the  $\alpha$ -lines are of zero curvature) so that the first fundamental form for the surface is of the type  $ds^2 = d\alpha^2 + B^2 d\beta^2$ . In this case Love's general equations of the shell theory are reducible to two differential equations for the stress functions  $l$  and  $m$  from which the forces, moments, and deformations can be computed by differentiation. These equations are:

$$\frac{\lambda^2}{B^2} \frac{\partial}{\partial \alpha} \frac{\partial l}{\partial \alpha} - \frac{\lambda^2 h^2}{3(1-\sigma^2)} N(m, \sigma) = 0,$$

$$\frac{\lambda^2}{B^2} \frac{\partial}{\partial \alpha} \frac{\partial m}{\partial \alpha} + \lambda^2 N(l, -\sigma) = 0,$$

where  $\lambda^2$  and  $\lambda^2 h^2$  are introduced to make the terms of these equations have the dimensions of  $l$ ; for cylindrical shells ( $\partial B / \partial \alpha = 0$ ),

$$N(F) = \frac{1}{B} \frac{\partial}{\partial \beta} \frac{\partial B}{\partial \beta} \frac{\partial}{\partial \beta} \frac{1}{B} \frac{\partial}{\partial \beta} \frac{\partial F}{\partial \beta} + \frac{1}{BR} \frac{\partial}{\partial \beta} \frac{1}{B} \frac{\partial F}{\partial \beta}$$

$R$  being the radius of curvature of the  $\beta$ -line; for noncylindrical shells ( $\partial B / \partial \alpha \neq 0$ )  $N(F)$ , in addition to the terms

given above, contains the term

$$-\frac{1}{B} \frac{\partial}{\partial \beta} \frac{1}{B} \frac{\partial}{\partial \alpha} \left( \frac{\partial}{\partial \alpha} \frac{1}{B} \frac{\partial B}{\partial \alpha} \right) \frac{\partial F}{\partial \beta}$$

For conical and cylindrical shells the system can be integrated approximately in the form of a series involving trigonometric and Bessel functions, provided certain restrictions on the lengths of the shells and on the generatrix angle are imposed.

Several results obtained in the author's two earlier papers [same journal 9, 463-478 (1945); 10, 387-396 (1946); these Rev. 7, 331; 8, 241], dealing with thin shells of zero Gaussian curvature which are so stressed that the state of stress can be decomposed into a momentless state and into a state produced by moments and boundary effects, appear as special cases in this more general treatment.

I. S. Soldatnikov (Los Angeles, Calif.).

Source: Mathematical Reviews, 1948, Vol 9, No. 4

*SmT 82*



GOLDENVEYZER, A. L.

Gol'denveizer, A. L., and Iar'e, A. I. On the mathematical theory of the equilibrium of elastic shells. (Survey of the work published in the USSR.) Akad. Nauk SSSR. Prikl. Mat. Meh. 11, 565-592 (1947). (Russian)

This is a condensed survey of the research literature on the subject published in Russia during the past decade. Three distinct directions are discernible: (a) theoretical investigations based on the fundamental equations of the mathematical theory of elasticity; (b) work on stability and vibrations; (c) papers concerned with the engineering applications of the theory. This survey is concerned only with the first aspect. The development surveyed in this article falls into three categories: (a) formulation of the basic equations of the theory of thin shells, which extends the classical theory of Love with the aid of modern tools of differential geometry; (b) specialization of the general three-dimensional problem of the theory of elasticity to a two-dimensional one by introducing certain geometrical hypotheses and physical assumptions; papers in this category are concerned with the analysis of the nature of the simplifications and with the study of the magnitude of errors inherent in them; (c) integration of the equations formulated in category (a). This is accomplished by replacing the complete system of equations by special systems yielding the information about the "edge effect" and the behavior of the integrals of moment stresses.

In addition to the account of the general investigations falling in these categories, the survey contains a résumé of several problems of integration of systems of equations associated with specific geometrical forms. These include spherical shells, conical shells and shells with vanishing Gaussian curvature. The survey concludes with a bibliography of 48 items. I. S. Sobolevskii (Los Angeles, Calif.)

Source: Mathematical Reviews,

Vol. / No. /

50

GOL'DENVEYER, A. I.

"The Influence of Border Fastening on the State of Stress of Thin Shells,"  
Trudy of the Central Aero-Hydrodynamic Institute (ZAGI) 1948, No. 669

USSR/Engineering  
Mechanics  
Bibliography

Jan/Feb 49

"Review of V. V. Novozhilov's 'Theory of Thin Shells,'"  
A. L. Gol'denveyser, 3 pp

"Priklad Matemat i Mekh" Vol XIII, No 1

Generally favorable review of subject book, which  
attempts to classify and clarify accumulated data  
on the theory of thin-walled shells.

39/49T43

"On the Theory of Thin-Walled Rods," A. L. Gol'den-  
veyzer, Moscow, 35 pp

"Prikl. Matematika i Mekh" Vol XIII, No 6 - p. 561-74

This work differs from others on thin-walled rods in that it does not make use of special hypotheses based on qualitative analysis of integrals of equations as found in the theory of shells. Purpose of its investigation is to determine approximately the basic stressed state in a rod span loaded by transverse load R and system of forces and moments T applied to terminal transverse section. It is

USSR/Engineering - Rods (Contd)

Nov/Dec 49

assumed that terminal sections of the rod are fixed arbitrarily and longitudinal sides are free of bonds. Submitted 21 Jun 49.

GOL'DENVEYZER, A. L.

153755

1. V. A. Kozlov, A. A. L. I. I.

The mathematical theory of the equilibrium of elastic shells. (A review of papers published in the USSR). New York, 1961. 100 p. (American Mathematical Society. Trans., no. 1)

Bibliography: 1. 11-14.

Trans of the International Conference on the Theory of Elasticity of Shells.

BRACH 1961-1962

SO: Aeronautical Sciences and Aviation in the Soviet Union, Library of Congress, 1955.

177F47

USSR/Mathematics - Shells, Equilibrium of Mar/Apr 51

"Applying the Solution of the Riemann-Hilbert Problem  
to Computation of Momentless Shells," A. L. Golden-  
veiser, Moscow

"Prikl Matemat i Mekh" Vol XV, No 2, pp 149-166

Applied to 2d-order surfaces of pos curvature in  
cases where moments may be neglected. In this case  
tangential forces are computed by integrating eq of  
equil. Momentless shell is statistically detd only  
in definite boundary cases.

177F47

PHASE I

TREASURE ISLAND BIBLIOGRAPHICAL REPORT

AID 378 - I

BOOK

Call No.: QA935.G6

Author: GOL'DENVEYZER, A. L.

Full Title: THE THEORY OF ELASTIC THIN SHELLS

Transliterated Title: Teoriya uprugikh tonkikh obolochek

Publishing Data

Originating Agency: None

Publishing House: State Publishing House of Engineering and  
Theoretical Literature

Date: 1953

No. pp.: 544

No. of copies: 4,000

Editorial Staff

Editor: None

Tech. Ed.: None

Editor-in-Chief: None

Appraiser: None

Text Data

Coverage: The theory of shells as based on the assumption of the inalterability of the normal element is considered in this book. It is further assumed that the materials are isotropic and obey Hook's law generalized, and that the second powers of deformations, displacements, and angles of return are sufficiently small to be neglected. The author made an effort to present as completely as possible the many existing approximate methods of calculation of shells. The book is the result of many years of the author's research. It is divided into five parts, each part being a complete entity which may be studied separately.

1/10

sections; 11. External loads; 12. Equilibrium equations

2/10

Journal of the American Ceramic  
Society

Vol. 37 No. 4

Apr. 1, 1954

Cements, Limes, and Plastics

Autoclave method of making asbestos-cement shingles. T. M. BERKOVICH, I. L. RABINOV, AND V. L. GOL'DENVEIZER. *Tsment*, 19 [4] 19-23 (1953).—In the existing method of making asbestos-cement shingles, high-grade Portland cement is used as the bond. The shingles are steamed at 50° to 60°C. for 8 to 16 hr. and then hardened in storage for 7 to 10 days. An improvement of this method involves the addition of not less than 50% finely ground quartz sand to the cement and steaming in an autoclave at 8 atm. pressure for 8 hr.

B.Z.K.



GOLDENVEYZER, A. L.

Gol'denveizer, A. L. On the calculation of shells with concentrated forces. Akad. Nauk SSSR. Prikl. Mat. Meh. 18, 181-186 (1954). (Russian)

There are two methods of calculating shells on concentrated forces. The first one starts with a distributed load acting in a small region which is allowed to shrink to a point, the load accordingly increasing infinitely at the same time. The second method consists of constructing a function satisfying the elasticity differential equations which has a certain defined singularity in the neighborhood of the point of application of the concentrated force. The author considers the second method only, which is mathematically very convenient, but which can be used only if the nature of the singularity is known beforehand. The author uses the following singularity:  $r^2 \ln r$ .

T. Lesar.

*[Handwritten signature]*

SUBJECT USSR/MATHEMATICS/Differential equations CARL 1/2 PG - 490  
 AUTHOR GOL'DENVEYZER A.L.  
 TITLE An improvement of the theory of the simple edge effect.  
 PERIODICAL Priklad.Mat.Mech. 20, 335-348 (1956)  
 reviewed 1/1957

Edge effects which arise in the near of a contour which nowhere touches the asymptotic lines of the medium surface of a shell, have been treated until now in first approximation only. In the case of axial symmetric shells only Lurje has proposed a method the exactness of which corresponds to that one of the theory of shells. In the general case the complex unknown function

$$W = \sqrt{\frac{h^2}{3(1-\sigma^2)}} 2 E h w + i c$$

(h - half thickness of the shell,  $\sigma$  - coefficient of Poisson, E - Young modulus, w - normal flexure of the shell, c - tension function) is obtained from the differential equation

$$L(W) + \frac{h}{\lambda} \frac{1}{\sqrt{3(1-\sigma^2)}} N(W) = 0 \quad \lambda - \text{characteristic radius of curvature of the shell}$$

by the set up

Card 1/2

The Equations of the Theory of Shells. Variational  
and Functions of the General

41-11-1-1/1

Abstract:  
1) A brief review of the theory of shells.  
2) The equations of the theory of shells.  
3) The edge effects of the shell.  
4) Connections with the theory of shells with a "thin" shell.  
5) The author mentions three possible methods for the approximate calculation of the state of stress in complicated systems of shells without discussing them in detail. There are no direct references.

ORIGIN: April 15, 1957

ANAL FILE: Library 1-1-1-1

1. Shells-Theory

Card 2/2

FUKS, Boris Abramovich, prof.; BAKHSHIYAN, P.A., prof.; ANDRIYEVSKIY, F.P., dotsent; MIROSHKOV, R.K., dotsent; NAGAYEVA, V.M., dotsent; SOBOLEV, N.A., dotsent; SOKOLOV, A.M., dotsent; SHAPIRO, Z.Ya., dotsent; SHUSHARA, G.N., dotsent; KAPLAN, I.B., starshiy prepodavatel'; POLOZKOV, A.P., starshiy prepodavatel'; POLOZKOV, D.P., starshiy prepodavatel'; TOPAZOV, N.G., starshiy prepodavatel'; SHCHERBAKOV, S.S., starshiy prepodavatel'; Prinimali uchastiye: GOL'DENVEYZER, A.L., prof.; BARANEENKOV, G.S., dotsent; BERMAN, Ya.R., dotsent; LUNTS, G.L., dotsent; SEESTAKOV, A.A., dotsent; GMURMAN, V.Ye., starshiy prepodavatel'; Rozental', M.I., assistant; SOKOLOVA, L.A., assistant. ROZANOVA, G.K., red.izd-vn; KUZ'MINA, N.S., tekhn.red. (Continued on next card)

FUKS, Boris Abramovich--(continued) Card 2.

[Higher mathematics; methodological instructions and control assignments for the students of correspondence technical schools of university level] Vysshaya matematika; metodicheskie ukazaniia i kontrol'nye zadaniia dlia studentov zaocnykh vysshikh tekhnicheskikh uchebnykh zavedenii. Izd.9. Pod red. B.A.Fuksa. Moskva, Gos.izd-vo "Sovetskai nauka," 1958. 179 p.  
(MIRA 12:9)

1. Russia (1923- U.S.S.R.) Ministerstvo vysshego obrazovaniya. Metodicheskoye upravleniye.

(Mathematics--Study and teaching)

AUTHOR: Gol'denveyzer, A.L. (Moscow) SOV/24-58-4-19/39

TITLE: On Reissner's Theory of the Bending of Plates (O teorii izgiba plastinok Rayssnera)

PERIODICAL: Izvestiya Akademii Nauk SSSR, Otdeleniye Tekhnicheskikh Nauk, 1958, Nr 4, pp 102 - 109 (USSR)

ABSTRACT: The author discusses Reissner's paper (Ref 1) in which a thin plate of constant thickness is subjected to normal forces of variable intensity at the upper and lower boundaries of the plate. Body forces are assumed to be absent. Reissner's theory is described and its generalisation discussed. The following question is proposed: which has greater influence on the corrections introduced by the theory - the elastic phenomena at the boundary of the plate or those far from it? As an example an unloaded circular plate is considered at whose boundary are applied a bending moment, a transverse force and a twisting moment. It is shown that Reissner's theory gives corrections to the constants  $A_1$  and  $A_2$  corresponding to the classical theory and a new constant  $A_3$  is defined. The stressed state (called by Reissner the boundary effect) associated

Card1/2

SCN/24-52-4-19/39

On Reissner's Theory of the Bending of Plates

with this constant has a strongly local character. In a special case of the above example, the author finds that Reissner's theory can give wrong corrections to the classical theory. This is because the theory is based on a hypothesis concerning phenomena far from the boundary of the plate, while phenomena near the boundary play an important part. In conclusion, Vlasov's theory (Ref 4) is discussed. It gives the same law for the distribution of the bending stresses. The two theories are compared inconclusively. There are 4 references, 2 of which are Soviet and 2 English.

SUBMITTED: December 2, 1957

Card 2/2



33774-54-10-55/54

AUTHOR: Petrov, Ya. S.

TITLE: A Conference on Elastic Vibrations at the Institute of Mechanical Engineering of the Academy of Sciences of the Latvian SSR (Otsvecheniye na voprosy mekhanicheskoy i fizicheskoy mashinostroyeniya Akademii nauk Latvii/SSR)

PERIODICAL: Izvestiya Akademii nauk SSSR, Otdeleniye tekhnicheskikh nauk, 1980, No 10, pp 158-159 (USSR)

ABSTRACT: This Conference took place on June 11-15, 1979, in Riga. Altogether over 70 people took part in the Conference (part from those normally based at Riga). Eleven papers were presented on the effect of vibration on machines and structures, by 1. A. Blesman and G. Ia. Beldachina (Leningrad), 2. Two papers on dynamic fracture, by V. V. Babin and A. S. Vol'mir (Moscow) and the article by V. V. Babin and A. S. Vol'mir (Moscow).

3) Qualitative study of the form and frequency of natural vibrations of thin elastic shells, by A. E. Gotsmanov (Moscow).

4) Some problems in connection with vibrations of elastic rods in the case of large displacements, by Ya. S. Buzenev (Moscow).

5) Coupled vibrations of vanes and discs in turbines" and

Card 1/2

"Passage through resonance of a linear system with non-linear damping, by A. P. Pilyayev (Khar'kov). 6) "On the problem of the dynamics of an elastically stretched thread" by V. A. Shchegolev (Moscow). 7) "On the stability of dynamic processes in solid bodies", by A. S. Babin (Tver').

8) "The problem of construction of systems", by Ya. S. Babin (Tver').

9) "On the problem of the dynamics of systems with a piecewise-linear characteristic in the case of large displacements", by A. S. Babin (Tver').

Card 2/2

GOL'DENVEYZER, A.L. (Moskva)

We have been looking for

Asymptotic integration of partial differential equations with  
parameter dependent boundary conditions. Prikl.mat. i mekh. 22  
no.5:657-672 S-O '58. (MIRA 11:11)  
(Differential equations, Partial)

SOV 2600

## PHASE I BOOK EXPLOITATION

16(1)

Vsesoyuznyy matematicheskiy s"yezd. 3rd, Moscow, 1956  
 Trudy. I. 4: Kratkoye soobsheniye sekretarykh i chlenov  
 Inostrannykh ucheyev (Transcriptions of the  
 International Conference in Moscow, 1956. Summary of Scientific Reports.  
 Reports of Foreign Scientists) Moscow, 1956. 113-115 AN SSSR, 113 p.  
 247 p. 2,200 copies printed.

Sponsoring Agency: Akademiya nauk SSSR. Matematicheskoy Institut.

Tech. Ed.: G.N. Shevchenko. Editorial Board: A.A. Akrasov, V.G.  
 Boltvanskiy, A.M. Vasil'yev, B.K. Gikman, A.D. Myakota, S.M.  
 Nikol'skiy (Resp. Ed.), A.G. Poinkaré, Yu. V. Prokhorov, K.A.  
 Rubnikov, P. L. Ul'manov, V.A. Uspenskiy, M.O. Chetaev, J. Ye.  
 Shilov, and A.I. Shiranov.

PURPOSE: This book is intended for mathematicians and physicists.

COVERAGE: The book is Volume IV of the Transactions of the Third All-Union Mathematical Conference, held in June and July 1956. The book is divided into two main parts. The first part contains a series of lectures given by Soviet scientists at the conference. The second part contains the text of reports submitted by Soviet and non-Soviet scientists. In these last two parts, the title of the paper is cited and the author's name is printed in a previous volume, reference is made to the appropriate volume. The papers, both Soviet and non-Soviet, cover various topics in number theory, functional analysis, probability theory, topology, mathematical problems of mechanics and physics, theory of mathematical mathematical logic and the foundations of mathematics, and the history of mathematics.

Yushchenko, Ye. L. (Kiyev), and L.P. Mishuk (Kiyev). The programming of one new boundary value problem for a differential equation of parabolic type

101

## Section on the Mathematical Problems of Mechanics

Shcheglov, A.I. (Yerevan). On the plane problem of the theory of elasticity for a rectangular region

102

Vladov, V.Z. (Moscow). Method of initial functions in the theory of thick multilayer plates and shells

102

Zhil'tsenberger, A.I. (Moscow). Formal asymptotic representations of the integrals of partial differential equations with small parameter

102

Grachuk, G.I. (Moscow). Nonlinear vibrations of cylindrical panels in supersonic flow

104

Krasil'nichikova, Ye.A. (Moscow). The method of integral equations in problems of the theory of a thin wing in compressible flow

106

Card 20/34

GOL'DENVEYZER, A.L. (Moskva)

Asymptotic integration of linear differential equations with partial  
derivatives having a small main part. Prikl. mat. i mekh. 23 no.1:  
35-37 Ja-F '59. (MIRA 12:2)  
(Differential equations, Partial)

50. N. S. Gendeva, Kh. M. Mesthali, R. G. Sivulin (Kazani): On a method of solving problems of the heating theory of electric

63. W. G. Gerasimov (Moscow). On the problem of the stability of elastic shells with a small number of stiffening ribs. (Russian) (English transl.) On a method of solving problems of the stability of elastic shells with a small number of stiffening ribs. (Russian) (English transl.)
64. I. I. Gerasimov, V. G. Gerasimov (Moscow). Solution of an arbitrary problem of hydrodynamics of viscous and incompressible fluids. (Russian) (English transl.)
65. A. G. Gerasimov (Moscow). An approximate stability analysis of a plate in the elastic-plastic range.
66. G. A. Gerasimov (Moscow). Some problems concerning the static stability of a compressible plastic shell.
67. G. A. Gerasimov (Moscow). On the problem of elastic-plastic buckling of a shell.
68. I. G. Gerasimov (Moscow). A dynamic problem for a metallic shell.
69. M. V. Givargal (Moscow). Tensotropy in a new domain of application of mechanics to mechanical problems.
70. V. G. Givargal, B. G. Givargal (Moscow). Simulation of processes of plastic deformation and rupture of solids with great velocity.
71. V. G. Givargal (Moscow). Development of a theory of fracture in solids with the use of the method of continuous deformation.
72. I. I. Golberg (Moscow). Some generalizations of the basic equations of viscoplasticity.
73. I. I. Golberg (Moscow). The propagation of longitudinal waves in a viscoplastic rod.
74. A. M. Golovinskiy, V. D. Gerasimov (Moscow). Transient and steady-state problems of the stability of a shell under the action of hydrostatic power plant loads on the basis of the simplified theory of shells.
75. I. I. Golovinskiy, M. A. Vinitskiy (Moscow). A general theory of shells.
76. I. I. Golovinskiy (Moscow). A generalized theory of plastic flow.
77. I. I. Golovinskiy (Moscow). The theory of finite deformations of anisotropic elastic solids.
78. I. I. Golovinskiy, M. A. Vinitskiy (Moscow). A general theory of shells.
79. I. I. Golovinskiy (Moscow). Development of the theory of the stability of shells under the action of plastic deformation.
80. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
81. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
82. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
83. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
84. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
85. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
86. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
87. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
88. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
89. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
90. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
91. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
92. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
93. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
94. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
95. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
96. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
97. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
98. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
99. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
100. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
101. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.
102. I. I. Golovinskiy (Moscow). Investigation of the stability of a shell under the action of a plastic deformation.

"The geometrical criterion of the momentlessness of the state of stress of a thin elastic shell."

Report presented at the 10th International Congress of Applied Mechanics, (ICSU) Stresa, Italy, 31 August - 7 Sep 1960.

In the author's absence the paper was presented by Oniashvili. Momentlessness means that nearly everywhere in the shell (except in zones of edge effects), the bending stresses are not significant. Quantitatively, this can be defined by the relative magnitude of the membrane strain energy  $W_m$  and the bending strain energy  $W_b$ . Let the characteristic of the middle surface  $K$  be defined by the equation.

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01/02/02

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0/044/02/000/004/040/099  
0111/0353

AUTHOR: Sol'denvepud, A. L.

TITLE: The asymptotic integration of differential equations with vanishing small main part and oscillating boundary conditions

ABSTRACT: Izvestiya Akad. Nauk, Matematika, No. 2, 1962, 45, Abstract Zhurnal. ("Pr. Vses. Sovetskogo na differentsialn. uravneniyam, 1962". Yerevan, AN Arm SSR, 1960, 73-82)

TEXT: The author generalizes results which he obtained for the solution of some problems of the theory of thin elastic shells. The equation

$$M(\epsilon) + L(\epsilon) = 0 \quad (1)$$

is considered, where  $\epsilon > 0$  is a small parameter,  $L$  and  $M$  linear differential operators with the orders  $l$  and  $n$ ,  $l < n$ , and two independent variables  $x$  and  $y$ . It is assumed that the coefficients of  $L$  and  $M$  are sufficiently smooth and that  $x$  and  $y$  form a coordinate system similar to the polar system, i. e. the curve  $x = \epsilon y$  represents the boundary of the finite simply connected domain

Card 1/3

2/000/02/000/001/040/009  
0111/3555

The asymptotic integration of ...

$$0 \leq x \leq x_0, \quad 0 \leq t \leq 2\pi.$$

Let  $k$  be a large parameter:  $k = k^{-1}$ , where  $t$  is a rational positive number which is denoted as exponent of variability. The author gives the asymptotic behavior of the solution of equation (1) with (quasi) oscillating boundary conditions for the Dirichlet and the Cauchy problem (the latter one in the half-neighborhood  $x \leq x_0$ ) with conditions of the form

$$\frac{y^{(n)}(x)}{k^{n-1}} = k^{-1} \phi^{(n)}(x) e^{i k \psi(x)}$$

where  $\phi^{(n)}(x)$  is a complex,  $\psi(x)$  is a real function and  $\psi'(x) \neq 0$ . In dependence on the numbers  $t$  and

$\frac{1}{n-1}$  the author considers three cases. The solution is sought in the complex domain. There are many misprints. Another method for solving



3/044/02/000/004/040/039  
0111/0333

The asymptotic integration of ...

similar problems is due to M. I. Vishik and L. A. Lyusternik (ZhMat, 1961, 73204).

[Abstractor's note: Complete translation.]

J

Card 3/3

MUSHTARI, Kh.M., red.; ALUMYAE, N.A., red.; BOLCHIN, V.V., red.;  
VOL'GIN, A.S., red.; GANTYEV, N.S., red.; GOL'DENVEYZER, I.L., red.;  
ISMAYEVA, F.S., red.; KIL'CHEVSKIY, N.A., red.; KORNISHIN, M.S., red.;  
LUR'YE, A.I., red.; SAVIN, G.N., red.; SACHENKOV, A.V., red.; SVIRSKIY, I.V., red.;  
SURKIN, R.G., red.; FILIPPOV, A.I., red.; ALEKSAGIN, V.I., red.;  
SEME NOV, Yu.P., tekhn. red.

[Proceedings of the Conference on the Theory of Plates and Shells] Trudy Konferentsii po teorii plastin i obolochek, Kazan', 1960. Kazan', Akad. nauk SSSR, Kazanskii filial, 1960. 426 p. (MIRA 15:7)

1. Konferentsiya po teorii plastin i obolochek, Kazan', 1960.
  2. Moskovskiy energeticheskiy institut (for Bolotin). 3. Kazanskii khimiko-tekhnologicheskii institut (for Ganteyev).
  4. Institut mekhaniki Akademii nauk USSR (for Kilichevskiy).
  5. Kazanskii gosudarstvennyy universitet (for Sachenkov).
  6. Kazanskii filial Akademii nauk SSSR (for Svirskiy).
- (Elastic plates and shells)

83225

S/042/60/015/005/001/005  
C111/C222

16.7300

AUTHOR: Goldenshteyn, A. L.

TITLE: Some Mathematical Problems in the Linear Theory of Elastic  
Thin Shells <sup>10</sup>

PERIODICAL: Uspekhi matematicheskikh nauk 1960 Vol. 15 No. 5 pp. 3-75.

TEXT: The author has the aim to turn the attention of the mathematicians to the difficulties of the theory of shells and gives a representation of the corresponding mathematical problems. The contents of the paper is partially taken from the author's book (Ref. 1) and partially from his numerous publications (Ref. 6, 9, 11, 12, 14, 23, 26).

Contents: Introduction; chapter I: Asymptotic methods for the integration of partial differential equations; chapter II: Binding by boundary conditions; chapter III: Eigenvalue problems of the theory of shells; chapter IV: Theory of shells free of moments and its connection with the theory of infinitely small deformations; chapter V: Asymptotic integration of the differential equations of the theory of shells subject to moments; chapter VI: Influence of the conditions of clamping on

Card 1/2

83215

S/042/60/015/005/001/005  
C111/C222

Some Mathematical Problems in the Linear Theory of Elastic Thin Shells

the state of stress of the shell

The author mentions I. N. Vekua. There are 26 references, 23 Soviet  
2 American and 1 English

SUBMITTED: November 5, 1959

*Goldberger, A.* PHASE I BOOK EXPLOITATION SOV/6201 *25*

Vsesoyuznyy s"yezd po teoreticheskoy i prikladnoy mekhanike. 1st, Moscow, 1960.

Trudy Vsesoyuznogo s"yezda po teoreticheskoy i prikladnoy mekhanike,  
27 yanvarya -- 3 fevralya 1960 g. Obzornyye doklady (Transactions of the  
All-Union Congress on Theoretical and Applied Mechanics, 27 January to  
3 February 1960. Summary Reports). Moscow, Izd-vo AN SSSR, 1962.  
467 p. 3000 copies printed.

Sponsoring Agency: Akademiya nauk SSSR. Natsional'nyy komitet SSSR po  
teoreticheskoy i prikladnoy mekhanike.

Editorial Board: L. I. Sedov, Chairman; V. V. Sokolovskiy, Deputy Chairman;  
G. S. Shapiro, Scientific Secretary; G. Yu. Dzhanelidze, S. V. Kalinin,  
L. G. Loytsyanskiy, A. I. Lur'ye, G. K. Mikhaylov, G. I. Petrov, and  
V. V. Rumyantsev; Resp. Ed.: L. I. Sedov; Ed. of Publishing House:  
A. G. Chakhirev; Tech. Ed.: R. A. Zamarayeva.

Card 1/6



Transactions of the All-Union Congress (Cont.)

SOV/6201

**PURPOSE:** This book is intended for scientific and engineering personnel who are interested in recent work in theoretical and applied mechanics.

**COVERAGE:** The articles included in these transactions are arranged by general subject matter under the following heads: general and applied mechanics (5 papers), fluid mechanics (10 papers), and the mechanics of rigid bodies (8 papers). Besides the organizational personnel of the congress, no personalities are mentioned. Six of the papers in the present collection have no references; the remaining 17 contain approximately 1400 references in Russian, Ukrainian, English, German, Czechoslovak, Rumanian, French, Italian, and Dutch.

**TABLE OF CONTENTS:**

**SECTION I. GENERAL AND APPLIED MECHANICS**

• Artobolevskiy, I. I. Basic Problems of Modern Machine Dynamics	3
• Bogolyubov, N. N., and Yu. A. Mitropol'skiy. Analytic Methods of the Theory of Nonlinear Oscillations	25

Card 2/6

Transactions of the All-Union Congress (Cont.)

SOV/6201

Sretenskiy, L. N. Review of Reports on the Theory of Tides	213
Struminskiy, V. V. Present State of the Problem of Supersonic Gas Flow Past Bodies	225

### SECTION III. MECHANICS OF RIGID BODIES

Berezantsev, V. G. The Theory of Limiting State of Stress in Soil Mechanics and Its Applications	299
<u>Vekua, I. N.</u> , and N. I. Muskhelishvili. Methods of the Theory of Analytic Functions in the Theory of Elasticity	310
<u>Gol'denveyzer, A. L.</u> Development of the Theory of Elastic Thin Shells	339

Card 5/6

SAVIN, G.N., otv.red.; ABADULOV, A.A., red.; ALIYAE, N.A., red.;  
AMBARSUMYAN, S.A., red.; AMIRO, I.Ya., red.; BOGOMOL, V.V., red.;  
VOLDIN, A.S., red.; GOLUBENYEV, A.L., red.; GEIGOLYUK, E.I.,  
red.; KAN, S.F., red.; KAMISHIN, A.V., red.; KIL'CHEVSKIY, N.A.,  
red.; KISELEV, V.A., red.; KOVALENKO, A.D., red.; KUSHNARI, Kh.N.,  
red.; NOVOZHILOV, V.V., red.; UMANSKIY, A.A., red.; FILIPOV, A.P.,  
red.; LINCETS, A.M., tekhn. red.

[Proceedings of the Second All-Union Conference on the Theory of  
Plates and Shells] Trudy Vsesoyuznoi konferentsii po teorii plastin i  
obolochek. 2n, Lvov, P'ol.Kiev, Izd-vo Akad.nauk U.S.S.R., 1961. 581 p.  
(MIRA 14:12)

1. Vsesoyuznaya konferentsiya po teorii plastin i obolochek. 2,  
Lvov, 1961.

(Elastic plates and shells)



244200

1321 2601 2807

3/046/61/025/004/012/021  
D274/D366

AUTHOR: Gol'denveyzer, A.L. (Moscow)

TITLE: Asymptotic properties of eigenvalues in the elastic-shell theory

PERIODICAL: Izvikhaya nauka i tekhnika, v. 21, no. 6, 1961, 729-741

TEXT: Linear problems are considered of free oscillations and the stability of thin elastic shells, special attention being given to asymptotic properties of eigenvalues as a function of the density and configuration of the nodal lines of the vibrations. It was shown by the author (Ref. 1: A.L. Gol'denveyzer, Teoriya uprugikh tonkikh obolochek (Theory of thin elastic shells), GIFML, 1955) that in many cases an approximate description of the stress-strain state of elastic shells reduces to the following equations:

$$L(C) - a^2 R^2(C) \Delta \Phi = 0 \quad a^2 = \frac{h^2}{12(1-\nu^2)E} \quad (1.1)$$

$$L(\Phi) + R(C) \Delta \Phi = 0$$

where  $C$  is the stress function,  $\Phi$  is the normal deflection,  $h$  is a constant 1/7

S/040/01/023/004/012/021  
 D276/D366

Asymptotic properties:

$$\frac{M}{2Eh} \omega^2 = k^{2\beta+4} \frac{1}{\gamma} \left( 1 + R^{2\beta+2} \frac{2\beta+2}{5(1-\frac{R^2}{2})} R \right) \quad (4.1)$$

k is a parameter:  
 $k = \left( \frac{h}{R} \right)^{2\beta} \quad (C = 0)$  (4.2)

l, n and v are given by

$$\begin{aligned} k^2 p_1 &= \int_0^1 l(\alpha) d\alpha \int_0^1 n(\beta) d\beta \\ k^4 q_1 &= \int_0^1 l(\alpha) d\alpha \int_0^1 n(\beta) d\beta \int_0^1 v(\gamma) d\gamma \\ k^4 q_2 &= \int_0^1 l(\alpha) d\alpha \int_0^1 n(\beta) d\beta \int_0^1 v(\gamma) d\gamma \end{aligned} \quad (4.3)$$

(p has yet to be determined); for q<sub>0</sub> one obtains:

$$q_0 = k^{2\beta+4} \frac{1}{\gamma} \left( 1 + R^{2\beta+2} \frac{2\beta+2}{5(1-\frac{R^2}{2})} R \right) \quad (4.4)$$

where

$$L^{2\beta+4} = \int_0^1 l(\alpha) d\alpha \int_0^1 n(\beta) d\beta \int_0^1 v(\gamma) d\gamma \quad (4.5)$$

(v has yet to be determined), c and v in Eq. (4.1) are given by

Card 5/7

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D274/D566

Asymptotic properties...

$$c = c_* [r_1 \cos k(f_1 - f_2) + r_2 \cos k(f_1 + f_2)] \quad (3.1)$$

$$w = w_* [\cos k(f_1 - f_2) + \cos k(f_1 + f_2)]$$

where  $c_*$ ,  $w_*$ ,  $f_1$ ,  $f_2$ ,  $r_1$ ,  $r_2$  are functions of  $\nu$  and  $\rho$  which can be chosen. It is required that  $w_*$  and  $c_*$  be non-negative. The stress-strain state D is considered, determined by (3.1) and (3.1). The density of the nodal lines of D increases with  $k$ , i.e. with (for given  $h/R$ ); the number  $\nu$  is termed the index variability. By appropriately choosing  $f_1$  and  $f_2$  it is possible that state D should have two (or one) system of nodal lines which belong to two (or one) pre-assigned families of curves, by the appropriate choice of  $\nu$  it is possible with fixed  $f_1$  and  $f_2$  to increase or to reduce the density of nodal lines. It is postulated that the functions  $f_1$ ,  $f_2$ ,  $w_*$ ,  $c_*$ ,  $r_1$ ,  $r_2$  can be chosen in such a way that their variability should not be very large and that  $c$  and  $w$  should be sufficiently close to a solution of Eq. (1.1) - (2.1); with such a choice of these functions, formulas (3.1) and (4.6) give sufficiently exact values of  $\omega^2$  and  $c_0$ . This postulate is verified for all cases, except when the middle

Card 4/7

11  
S/040/31/027/004/012/021  
0,74,000

### Asymptotic properties

surface of the shell has negative curvature. Now the problem consists in constructing asymptotic (for  $k \rightarrow \infty$ ) expressions for the integrals (6.5), (6.6) on the assumption that  $u$  and  $v$  have the form (5.1). These integrals are then reduced to condition

$$\iint_{\Omega} [L_0^+ r_1^2 + L_0^- r_1^2] + \epsilon_1 \rho_1 d\Omega \neq 0 \quad (10.3)$$

where  $L_0$  is given by

$$L_0 = \frac{1}{k^2} \frac{1}{R_1^2} \left( \frac{\partial u}{\partial r_1} \right)^2 + \frac{1}{k^2} \frac{1}{R_1^2} \left( \frac{\partial v}{\partial r_1} \right)^2$$

this condition may be applied at all points of the region under investigation  $L_0^+ + L_0^- = 0$  (10.4)

It follows that in (6.5) the quantities  $L$ ,  $u$  and  $v$  will remain finite when  $k \rightarrow \infty$ , if  $\rho$  is appropriately chosen, viz:  $\rho = 2$  if condition (10.3) is satisfied, and  $\rho = 0$  if (10.4) holds. If both relations do not hold one should generally assume that  $\rho = 1$ . For a shell of positive curvature, (10.3) always holds. For zero curvature, (10.3) is not satisfied in a single case when stress-strain state D has only one system of nodal lines (the asymptotic lines of

Card 5/7

S/040/01/023/004/012/021  
D.27/0366

### Asymptotic properties

the middle member of the two equations is not considered. Further, the asymptotic properties of the eigenvalues are discussed. (on the basis of (10),  $\tau_0$  is a function of  $\lambda$  and  $\mu$ .  $\tau_0$  is positive, hence it is large for small  $\lambda$  and  $\mu$ . The characteristic value  $\tau_0$  is defined by

$$\tau_0 = \frac{1}{\lambda} \left( \frac{1}{\mu} \right) \quad (12.2)$$

$\tau_0$  depends on  $\lambda$  which can assume only one of the three values: 2, 1, 0; (hence  $\tau_0$  can have only three values too). A typical (for shell theory) result is noted: the eigenvalue decreases with increasing number of nodal lines; this takes place only up to a certain point - when it reaches its characteristic value  $\tau_0$ ; thereupon the regularity is reestablished: increasing eigenvalues with an increasing number of nodal lines. In stability problems, the least value of the critical load is important. It is found, for which configuration of nodal lines, loss of stability occurs. For zero curvature, 2 cases may arise: in the first case, stability may be lost for one family of nodal lines which coincide with rectilinear generators; in the second case stability is not

Card 6/7

S/040/62/026/004/004/013  
D403/D101

24.4200

AUTHOR: Gol'denveyzer, A.L. (Moscow)

TITLE: Construction of an approximate theory of bending of plates by the method of asymptotic integration of the equations of elasticity theory

PERIODICAL: Prikladnaya matematika i mekhanika, v. 26, no. 4, 1962, 668 - 696

TEXT: The possibility of rendering more exact the classical theory of bending of plates is considered. The bending problem is formulated as a three-dimensional problem of elasticity theory which is solved by the iteration method; thereby it is assumed that one of the dimensions is small as compared to the other two. The stressed state of the plate is sought in the form of a sum of a slowly-decreasing (with distance from the plate edge) stressed state which is constructed by means of the principal iteration process, and of fast-decreasing stressed states, constructed by means of auxiliary iteration processes. Such an approach is often used in the asymptotic integration of differential equations and corresponds to the Card 1/4

VB

S/040/62/026/004/004/013  
D406/D301

Construction of an approximate ...

tions. The auxiliary iteration process is constructed in two different ways. In the first, the construction of the solution amounts to the integration of an harmonic equation, whereas in the second, the solution involves the integration of a biharmonic equation. Five types of boundary conditions are considered, and the corresponding equations are set up. These equations are used to determine the sought-for functions (the biharmonic function  $B(x, y)$ , the harmonic function  $H(x, y)$ , and the biharmonic function  $B(x, y)$ ). The function  $Q(x, y)$  can be expressed in terms of  $B(x, y)$ . The main consequence of the above results is as follows: the stressed state has 3 components (the principal stressed state, the stressed state of edge twisting, and the stressed state of plane edge deformation). The principal stressed state corresponds to the principal iteration process, whereas the other stressed states correspond to the auxiliary processes. With such an approach, classical theory can be considered as an approximate method, based on the principal iteration process only, for which only the first approximation is constructed. The fundamental difference between the proposed method and classical theory, consists in introducing the auxiliary iteration processes, i.e. the processes constructed by integration of differ-

Card 3/4

18

Construction of an approximate ...

S/010/52/029/004/004/013  
D109/2501

rential equations which contain  $\xi$  as an independent variable.

SUBMITTED: April 5, 1962

/B

Card 4/4



L 12946-63

EMP(r)/EWT(m)/BDS AFFTC

ACCESSION NR: AP3004108

S/0040/63/021/004/0593/0608

AUTHOR: Col'denveyzer, A. L. (Moscow) 2/8 50

TITLE: Development of an approximate shell theory by the asymptotic integration of the elasticity-theory equations

SOURCE: Prikladnaya matematika i mekhanika, v. 27, no. 4, 1963, 593-608

TOPIC TAGS: approximate shell theory, asymptotic integration, shell theory

ABSTRACT: An asymptotic method of integration of differential equations of the elasticity theory is proposed, by means of which an approximate theory of shells can be established with a desired degree of accuracy in a way analogous to that used earlier by the author to develop an approximate theory of flexure of plates (Postroyeniye priblizhennoy teorii izgiba plastinki metodom asimptoticheskogo integrirovaniya uravneniy teorii uprugosti, PMM, 1962, v. 26, no. 4). This is closely associated with the method of asymptotic integration of differential equations of the theory of shells discussed in the author's monograph Teoriya uprugikh tonkikh obolochek, Gostekhizdat, 1953. Tensor analysis is applied in the representation and solution of the initial system of differential equations

Card 1/2

L 12946-63

ACCESSION NR: AP3004108

(equilibrium equations, symmetry conditions, and elasticity relationships) for determining displacements and stresses. Iterative processes are formulated for determining the states of stress which are, in the zero approximation, equivalent to the membrane-stress state, the pure flexural-stress state, and the states with large indexes of variation, as well as the iterative processes corresponding to the states of torsion and of plane strain at the edges. Through the combination of these iterative processes, the boundary conditions of the three-dimensional elasticity theory can be satisfied with an arbitrary degree of accuracy. The physical interpretation of the equations of the iterative processes is given. Certain conditions ensuring the asymptotic convergence of these iterative processes and thus determining the region of application of results obtained are briefly discussed. Orig. art. has: 62 formulas.

ASSOCIATION: none

SUBMITTED: 15Jan63

DATE ACQ: 15Aug63

ENCL: 00

SUB CODE: AP

NO REF SOV: 007

OTHER: 008

Card 2/2

GOL'DENVEYZER, A.L. (Moscow):

"Asymptotic methods of analysis of the spectrum of free vibration frequencies of shells".

report presented at the 2nd All-Union Congress on Theoretical and Applied Mechanics, Moscow, 29 Jan - 5 Feb 64.

GOL'DENVEYZER, A. L.

"The principles of reducing three-dimensional problems of elasticity to two-dimensional problems of elasticity to two-dimensional problems of the theory of plates and shells."

report submitted for 11th Intl Cong of Theoretical & Applied Mechanics & General Assembly, Munich, 30 Aug-7 Sep 64.

L 41657-65 EWT(d)/EWT(m)/EWA(d)/ENP(w) EM  
ACCESSION NR: AP5006263

8/0040/55/029/001/0141/0155

AUTHOR: Gol'denveyzer, A. L. (Moscow); Kolos, A. Y. (Moscow)

TITLE: Contribution to the construction of the two-dimensional equations of the theory of thin elastic plates

SOURCE: Prikladnaya matematika i mekhanika, v. 29, no. 1, 1965, 141-155

TOPIC TAGS: elasticity theory, elastic shell, applied mathematics, mechanical stress, strain measurement, stress calculation

ABSTRACT: The authors discuss ways to construct an approximate theory governing the calculation of thin elastic plates without employing assumptions typified by Kirchhoff's hypothesis. Up to now the only method of solving this problem was the method based on the use of power series or series expansions in Legendre polynomials. In some recent papers such problems have been handled by asymptotic integration of the equations of elasticity theory. In the present work the authors discuss the features of these methods and derive equations to which the asymptotic method reduces in the problem of the general strain of thin plates whose mean surface is related to an arbitrary orthogonal system of curvilinear coordinates. Orig. art. has: 59 formulas.

Card 1/2

L 64122-65 EWT(d)/EWT(m)/ENP(w)/EWA(d)/ENP(k)/EWA(h)/ENP(r) WW/UC

ACCESSION NR: AP5021303

UR/0040/65/029/004/0701/0715

AUTHOR: Gol'denveyzer, A. L. (Moscow)

TITLE: On errors in the classical linear shell theory and on means of improving it

SOURCE: Prikladnaya matematika i mekhanika, v. 29, no. 4, 1965, 701-715

TOPIC TAGS: linear shell theory, improved classical shell theory, classical shell theory, asymptotic method, three dimensional elasticity equation *q.p*

ABSTRACT: An asymptotic method of integrating the three-dimensional equations of the theory of elasticity is proposed for determining the stresses and displacements in closed shells in which the effect of support conditions is eliminated (for example, in a complete sphere). It is assumed that the curvatures of the middle surface of the shell change smoothly, that its reduced length is not too large, and that the stress distribution sought for can be formally constructed by means of the membrane theory under an arbitrary self-equilibrating

Card 1/3

L 64122-65

ACCESSION NR: AP5021303

system of stresses with components differentiable a sufficient number of times. The results obtained by this method are compared with data obtained by applying the classical (based on the Kirchhoff-Love hypotheses) theory of shells, and the effect of errors caused by assumptions made in its initial relationships on the final results is investigated. In order to compare both results, the final formulas obtained by the method proposed are expressed in terms of the classical shell theory. The error estimates given here take account of the index of variation  $t$ , and it is shown that these errors (which have in the classical theory an order of the nondimensional thickness  $h_*$ ) can be essentially reduced (up to values of the order  $h_*^{2-2t}$ ). The expressions for the elasticity relationships which must be used to achieve this improvement are derived. The comparison leads to the conclusion that a more exact classical shell theory can be proposed for the solution of the discussed problem in which the error (in the case when  $t = 0$ ) will be of the order  $t^2$  in comparison with unity. The effect of the variations in the state of stress on the values of errors in the classical theory is also discussed. Orig. art has: 42 formulas. [VK]

ASSOCIATION: none

Card 2/2

L 64122-65

ACCESSION NR: AP5021303

SUBMITTED: 22Apr65

ENCLOSURE: 00

SUB CODE: AS

NO REF SOV: 006

OTHER: 002

ATTN PRESS: 4010

Card

*dm*  
3/3



**ABSTRACT:** An asymptotic method of integrating dynamic equations, associated with free-vibration problems of the classic linear theory of elastic thin shells is presented. Equations of equilibrium, elasticity, and strain-displacement relationships, containing the frequency and displacement parameters, are taken from the author's "Theory of elastic thin shells" and are used as initial equations in investigating the free vibration of an elastic thin shell, by a method which is a "dynamic" version of the asymptotic method developed by the author in the above mentioned book for solving the static problem. The principal attention is paid to vibrations associated with a large index of variation in the states of stress and strain. The problem is solved in a rough approximation; the possibility of refinements is discussed. The asymptotic properties of expressions for determining the frequencies and the associated states of stress are analyzed in relation to the order of the magnitude of the nondimensional thickness of the shell, and to the density

L 20606-66

ACC NR: AP6007581

and shape of nodal lines. The classification of free-vibration modes is established, simplified equations for determining them in the first approximation are derived, and qualitative analyses of their natural-frequency spectra are carried out. The characteristic features of the boundary conditions in problems not studied before are discussed only qualitatively. New concepts of "quasi-lateral" and "quasi-tangential" vibrations (characterized by the predominance of the lateral and tangential displacements, respectively) are introduced, as well as of the concepts their integrals, which are analogous to integrals with a large index of variation in the static problem where they describe the distributions of flexural and tangential stresses. Examples of examining the existence of certain modes of vibration, and the spectra of natural frequencies are given. Orig. art. has: 1 table and 38 formulas. [VK]

SUB CODE: 20/ SUBM DATE: 23Sep65/ ORIG REF: 006/ OTH REF: 002/ ATD PRESS:

4225

Cord 2/2 *JA*

OLINSEYER, . . .

"Investigation of the action of sulfur dioxide on various insect solutions."  
Sd. P. 51, Moscow Center of Lenin "Biotechnology" Institute, L. S.  
Mendeleev

Dissertation presented for defense and with a diploma in  
Moscow Institute of L.

SC: . . . . .

GOL'DENTSVAYG, Ya.D.

Determination of carbon dioxide pressure in the blood in  
clinical practice. Lab.delo 5 no.2:17-24 Mr.-Ap '59.  
(MIRA 12:5)

1. Iz kafedry propedevtiki vnutrennikh bolezney (zav. - dots.  
Z.A.Gorbunkova) Smolenskogo meditsinskogo instituta.  
(BLOOD--ANALYSIS AND CHEMISTRY) (CARBON DIOXIDE)

ARKHANGEL'SKIY, Ye.V., kand.tekhn.nauk; GOL'DENTUL, B.A., inzh.

Improvement in methods of determining load on switching throat-tracks.  
Vest.TSNII MPS 18 no.1:61-63 F '59. (MIRA 12:3)  
(Poland--Railroads--Switching)

On 10/10/86, the Soviet Union, in the name of the Soviet Union, announced that it had decided to withdraw its troops from Afghanistan.

The Soviet Union's decision to withdraw its troops from Afghanistan was a significant event in the history of the Soviet Union. It was the first time that the Soviet Union had withdrawn its troops from a foreign country since the end of World War II.

The Soviet Union's decision to withdraw its troops from Afghanistan was a significant event in the history of the Soviet Union. It was the first time that the Soviet Union had withdrawn its troops from a foreign country since the end of World War II.

KROPACHEV, N.G., inzh.; GOL'DER, E.L., inzh.

Operational accounting and analysis of production cost in  
steel foundries and rolling mills of the Kuznetsk Metallurgical  
Combine. Stal' 25 no.10:953-955 O '65. (MIRA 18:11)

1. Kuznetskiy metallurgicheskiy kombinat.

ACCESSION NR: AP4037174

3/30/69/64/32 2/20/290/225

AUTHOR: Vaynshtok, V. V.; Kartshuk, D. A.; Golider, G. A.

TITLE: The structure of soaps modified by addition of lead and lithium salts.

SOURCE: Kolloidnyy zhurnal, v. 28, no. 3, 1966, 290-297, and English transl., p. 290-297.

TOPIC TERMS: soap oil dispersion structures, soap electrodialysis, lithium soap, lithium stearate, lead stearate, aluminum stearate, eutectic mixture, lead stearate crystal, crystal, crystal aggregate, aluminum lithium stearate aggregate, widely dispersed particles

ABSTRACT: The authors studied the crystallization of lithium stearate added with other stearates, widely used in the manufacture of lubricating oils (lead, aluminum, dispersants), and conducted electrodialysis and x-ray studies of the crystalline soaps, their melts and the soap-oil dispersions prepared from them. Experimental specimens were prepared by evaporating the dispersions or placing them in a vacuum oven. The results are photographic, recorded on x-ray film. The powdered soaps differed little in their crystal structures of the same and different structures depending upon the soap cation, essentially with a certain number.

3/30/69/64/32



ACCESSION NR: AP4037174

thickness composition. The lead-stearate based glasses showed a high degree of lamellar structure, the lamellae being of the lead stearate lamellae with a lot degree of unidirectionality, the high stability and thickening ability of such glasses. Aluminum and lithium based glasses formed distinctly shaped combined crystals (to 35% and 5 or aluminum and lithium). Increase of aluminum soap concentration caused a decrease of crystallinity and rheologic indicators. The crystalline structure of lead-stearate glasses in X-ray studies of these stearamates, the lead-stearate lamellae gave sharp diffraction, with the exception of the first order. Distances between the lamellae and line intensity are weak, the intensity of the first order is less pronounced than those of the stearamates. The crystalline structure of lead-stearate aluminum stearamate on the structure of the lead-stearate lamellae and the formation of joint dispersed particles to a 10-100 nm. The crystalline structure of the structure at 30-50 nm. There dispersed particles of lead-stearate mixture of lead and aluminum stearamate, which is an intermediate between the lead-stearate particles and the aluminum stearamate particles. The crystalline structure of the lead-stearate mixture is either as confined in the thick layer of the lead-stearate lamellae or as confined of crystallization at room temperature. The lead-stearate lamellae are by neutral lead stearate combined with the lead-stearate lamellae more than

ADDITIONAL INFO: APh037174

80-88 mol% concentration. Mixture, lead and aluminum stearates, separately from melts as eutectic mixture. (Orig. and. 1962-1963).

ASSOCIATION: Moskovskiy Institut Khimicheskoy i gazovoy energetiki  
I. M. Zhukovskiy (Moscow Institute of Chemical and Gas Energy)

SUBMITTED: 02Nov62

EMAL: 100

SUB CODE: TP

NO REF: 100

OTENC: 100

3/3

Some Results of the Application of Spectrographic Analysis to Non-Ferrous  
Light Alloys. G. Golder (*Izv. Akad. Nauk S.S.S.R.*, 1949, Fiz. i Khim.,  
218-219). [In Russian.] A short account of the application of the spectrographic  
to the sorting of Duralumin (17S and 24S), Al-Mg, and Al-Si alloys. N. A.

ASACSLA METALLURGICAL LITERATURE CLASSIFICATION

GOL'DER, G. A.

Chief Technical Ser.

"Energy and Stability of Crystal Lattices." Sub 6 Mar 47, Moscow  
Aviation Technological Inst

Dissertations presented for degrees in science and engineering in Moscow  
in 1947

SO: Sum No. 457, 12 Apr 55

GOL'DER, G.A.; UMANSKIY, M.M.

Goniometric and X-ray analysis of crystals of 1,3,8-trinitronaphthalene. Zhur. Fiz.Khim. 25, 555-6 '51. (MLRA 4:5)  
(CA 47 no.17:8457 '53)

1. L.Ya.Karpov Phys.-Chem. Inst., Moscow.

X-ray study of crystals of some nitro and halogen derivatives of benzene and naphthalene. G. A. Gol'der, G. S. Zhidnev, M. M. Umanski, and V. P. Glushkova (L. Ya. Kurnov Phys.-Chem. Inst., Moscow). *Zhur. Fiz. Khim.* 26, 1250-55 (1962).—The 1,8-dichloronaphthalene crystallizes from hexane in the form of elongated transparent plates,  $m. 87^\circ$ ,  $d = 1.51$ . Each plate has a  $110^\circ$  angle between the edges of rhombic prisms  $c[001]$  and  $m[100]$ . The unit cell has  $a = 11.5$ ,  $b = 10.0$ ,  $c = 7.9$  kX,  $d(x\text{-ray}) = 1.53$ ; the space group  $C_2^2 = P2_1/C$ , 4 mols. per cell. It was detd. that  $\{h0l\}$  is present only when  $l = 2n$ , and  $\{0k0\}$  when  $k = 2n$ . Colorless crystals of 2,6-dichloro-1-nitrobenzene (from cyclohexane) have  $a[100]$ ,  $b[010]$ ,  $c[001]$ ,  $k[101]$ . It crystallizes with 4 mols. in a monoclinic cell with  $a = 5.82$ ,  $b = 9.33$ ,  $c = 14.2$  kX,  $\beta = 91^\circ$ ,  $d = 1.40$ ,  $d(x\text{-ray}) = 1.51$ , its space group  $C_2^2 = P2_1/m$  or  $C_2^2 = P2_1$ . Monoclinic crystals of 2,4,6-tribromo-1-nitrobenzene crystallize from chloroform. The unit cell has  $a = 9.3$ ,  $b = 12.4$ ,  $c = 9.8$  kX,  $\beta = 127^\circ 20'$ ,  $d = 2.40$ ,  $d(x\text{-ray}) = 2.54$ , and contains 4 formula units. It was estd. that  $\{hkl\}$  is present only when  $k + l = 2n$ ,  $\{h0l\}$  when  $k = 2n$  and  $l = 2n$ , and the  $\{0k0\}$  is present only when  $k = 2n$ . The crystal has space group  $C_2^2 = A2/a$  or  $C_2^2 = Aa$ . The benzophenone crystals from hexane have well-defined facets of rhombic prisms:  $a[100]$ ,  $b[010]$ ,  $c[001]$ ,  $m[110]$ ,  $d[101]$ ,  $k[201]$ , and rhombic dipyramid  $\{111\}$ . Its unit cell has  $a = 8.0$ ,  $b = 10.2$ ,  $c = 12$  kX,  $d$  (by flotation method) = 1.1,  $d(x\text{-ray}) = 1.05$ ; 4 mols. per cell with space group  $D_2^2 = P2_12_12_1$ . The  $\{h00\}$  is present when  $h = 2n$ ;  $\{0k0\}$  when  $k = 2n$ ;  $\{00l\}$  only when  $l = 2n$ . Rhombic crystals of 1,3,5-trinitrobenzene have the following dimensions of a

unit cell:  $a = 12.8$ ,  $b = 27.0$ ,  $c = 9.8$  Å, with 16 formula units in each. The space group  $D_2^2 = P_{212121}$ . The golden-colored needles of 1,3,5,8-tetrinitronaphthalene (I) (from EtOH) gave complicated x-ray diffraction probably owing to "regular polysynthetic formation." X-ray study of these crystals at  $-110^\circ$  eliminated the possibility of interferences due to thermal vibrations. Crystals obtained from other solvents (e.g. AmOAc, ligroin, AcOH) gave similar interferences in x-ray diagrams. Crystn. from the mixts. of acetone with benzene or with toluene led to formation of new compds., which were very unstable in the air. By choosing planes without diffuse spots these investigators were able to show that the unit cell of I has  $a = 26.3$ ,  $b = 7.75$ ,  $c = 5.54$  kX, and when  $d = 1.64$  there are 4 mols. in a cell. For such a cell the  $\{h0l\}$  was estd. to be present only at  $h = 2n$ ,  $\{0kl\}$  when  $k + l = 2n$ . On these bases the space group can be assigned:  $D_2^2 = Pnam$  or  $C_2^2 = Pna2$ . The x-ray study of 2,4,6-trinitrotoluene (II), with interferences analogous to I, is in disagreement with B. Hertel's expts. (C.A. 27, 5223). By choosing only well-defined diffraction patterns it was possible to det. that the unit cell of II has 4 mols. with  $a = 20.2$ ,  $b = 8.2$ ,  $c = 7.7$  kX, and the space group  $C_2^2 = Pn/m$  or  $C_2^2 = Pn$ . It is concluded that in II, as in I, no true monoclinic crystals are formed.

Anatole P. Kotloby

*[Handwritten signature]* 1/5/54

GOL'DER, G.A.

The crystal structure of trichlorobenzonitrile. G. A. Gol'der, G. S. Zhurav, and M. M. Umanzil (*U.S.S.R. Acad. Sci. Div. Chem. Sci., Moscow*). *Zhur. Fiz. Khim.* 26, 1434-7 (1952); cf. *C.A.* 46, 6078. — The mol. structure of 2,4,6-trichlorobenzonitrile was detd. by Poirier analysis. It is monoclinic; the space group is  $C_{2h}^2/P_2/c$ . The unit cell has the dimensions  $a = 4.10$ ,  $b = 10.97$ ,  $c = 10.81$  kX, and  $\beta = 91^\circ 30'$ ; and contains 4 mols. The plane in which the mols. lie forms a  $21^\circ$  angle with the  $(100)$  plane of the crystal. The line through  $C_1$  and  $C_4$  in the ring forms a  $54^\circ 30'$  angle with the  $(010)$  direction. The bond distances  $C_1-C_2$  (nitrile),  $C_1-C_3$ ,  $C_2-C_3$ ,  $C_3-C_4$ ,  $C_4-Cl$ ,  $C_4-Cl$ , and  $N-C$  (nitrile) are 1.47, 1.39, 1.41, 1.38, 1.70, 1.71, and 1.40 kX, resp. The  $C_1=C_3-Cl$  angle is distorted about  $2-3^\circ$ .  
J. W. Loreberg, Jr.

*[Handwritten signature]*

GOL'DER, G. A.

USSR/Physics - Dislocations

Feb 52

"Translation of A. H. Cottrell's 'Theory of Dislocations in Crystalline Lattice,'" by G. A. Gol'der

"Uspekhi Fiz Nauk" Vol XLVI, No 2, pp 179-230

Russian translation of English-language article, which appeared in "Progress in Metal Phys," edited by B. Chalmers, 1949, p 77. Translation made under editorship of Prof G. S. Zhdanov. Editor discusses differences in the following tech terms that are otherwise synonyms: "Zatsepleniye" (meshing), "dislokatsiya" (dislocation), "smeshcheniye" (shift), "stsepleniye" (gripping, cohesion).

2107100



Röntgenographic determination of structure of picryl chloride. G. A. Gol'dur, G. S. Zhuravov, and M. M. Uman'skiy. *Dokl. Akad. Nauk SSSR*, 1952, 81, 111-113 (1952); cf. *Kristallografiya*, 1951, 43, 1292. The unit cell of picryl chloride ( $C_{12}H_5ClO_7$ ) is  $a = 11.10$ ,  $b = 10.81$ ,  $c = 12.52$  Å,  $\beta = 102^\circ 30'$ , space group  $C_{2v}^2$ . Each unit cell contains 4 molecules. The C-Cl bond lengths 1.71 Å, C-C bond lengths in the ring are normal (1.37-1.41 Å), C-N bond lengths are 1.51 Å, from sum of covalent radii, but in the *o*-NO<sub>2</sub> groups the C-N bond length was 1.46 Å, whereas in *p*-position it was 1.38 Å. The *o*-groups are thus nearly perpendicular to the ring, but the *p*-group is parallel.

G. M. Kosoloboff

GOL'DER, G. A.

V 14669\* Physical-Chemical Study of Lithium Peroxide. Fiziko-khimicheskoe izuchenie perekisi litia. (Russian.) T. V. Rode, T. A. Dobrynina, and G. A. Gol'der. Izvestia akademii nauk SSSR, otделение khimicheskikh nauk, 1955, no. 4, July-Aug., p. 811-821.  
Includes graphs, tables, diagram. 29 ref.

(2)

✓ X-ray investigation of the structure of 1,4-dinitro-2-  
nitrobenzene. O. S. Zidenov and G. A. Oskanov. Izv. Akad. Nauk SSSR, Ser. Khim., 1968, No. 10, p. 2048. (U.S.S.R. Chem. Abstr., 1969, 63:1048) [U.S.S.R. Chem. Abstr., 1969, 63:1048] The authors report on the X-ray investigation of the structure of 1,4-dinitro-2-nitrobenzene in the monoclinic system:  $a = 7.51$ ,  $b = 14.8$ ,  $c = 7.28$  Å,  $\beta = 94^\circ$ , the no. of formula units in the elementary cell is 4, the exp.  $d_c = 1.68$ , the x-ray  $d_c = 1.72$  g/cm<sup>3</sup>, the space group  $C_{2h}^2$ . The nitro group is at an angle of  $64^\circ$  to the benzene ring, the length of the C-N bond is  $1.44 \pm 0.03$  Å, in the amine group the C-N spacing is  $1.37 \pm 0.03$  Å, which permits the assumption of a coplanar arrangement of this group with the benzene ring. W. M. Steinhilber

①

178

GOLDER, G. A.

✓ Physicochemical investigation of the system sodium superoxide-sodium oxide. T. V. Ryde and G. A. Golder. *Izvest. Akad. Nauk S.S.S.R., Otdel. Khim. Nauk* 1951, 299-303. NaO<sub>2</sub> in an atm. of dry O<sub>2</sub> decomps. at approx. 120°; in dry, CO<sub>2</sub>-free air it decomps. at 80-90°. On thermal decompn. NaO<sub>2</sub> gives a succession of solid solns. with the limiting compd., Na<sub>2</sub>O<sub>2</sub>. Na<sub>2</sub>O<sub>2</sub> decomps. endothermically with the production of Na<sub>2</sub>O<sub>2</sub> at 250° in O<sub>2</sub> and at 215° in CO<sub>2</sub>-free air. Na<sub>2</sub>O<sub>2</sub> decomps. slowly, beginning at approx. 350°; it melts at 510°. At 545° Na<sub>2</sub>O<sub>2</sub> decomps. to the limiting compd., Na<sub>2</sub>O. The existence of a sequence of continuous compds. was detd. in the system NaO<sub>2</sub>-Na<sub>2</sub>O with limits varying from Na<sub>2</sub>O<sub>2</sub> to Na<sub>2</sub>O<sub>2</sub>. Under the conditions the compd. Na<sub>2</sub>O<sub>2</sub> was not detd., but a limiting solid soln. Na<sub>2</sub>O<sub>2</sub> which decomps. immediately to Na<sub>2</sub>O<sub>2</sub> was found. J. M. Widen.

PM

Inst.-Gen. & Inorg. Chem. N. S. Kurnakov AS USSR

X-ray determination of the structure of indigo and thioindigo

*Handwritten:* Indigo

*Handwritten:* 5

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*Handwritten:* (over)

B. A. Gritsya, G. S. Zhurav, and O. A. Gaidar. *Kristallografiya* 1, 13-20 (1958). The Bayer chemical formula of indigo does not explain the absence of geometric isomers, the deep color, and the high chem. and phys. resistivity of this mol. Many hypotheses were developed (Kuhn, C.A. 76, 6142; Hodgson, C.A. 40, 5043) to give an improved formulation. The authors synthesized indigo and obtained good crystals. The elementary cell dimensions for indigo are:  $a = 9.18$ ,  $b = 5.74$ ,  $c = 12.35$  Å;  $\beta = 116^\circ 40'$ . For thioindigo they are:  $a = 7.82$ ,  $b = 3.92$ ,  $c = 20.3$  Å;  $\beta = 90^\circ 40'$ . In both compds.  $Z = 2$ ; the space group is  $P 2_1 2_1 2_1$ . The electron d. projection on (010) for thioindigo and the stepwise approximation method delivered the following  $x, y, z$  coordinates: C<sub>1</sub>:  $x = 0.448$ ,  $y = 0.028$ ; C<sub>2</sub>:  $x = 0.513$ ,  $y = 0.063$ ; C<sub>3</sub>:  $x = 0.870$ ,  $y = 0.125$ ; C<sub>4</sub>:  $x = 0.870$ ,  $y = 0.168$ ; C<sub>5</sub>:  $x = 0.226$ ,  $y = 0.214$ ; C<sub>6</sub>:  $x = 0.068$ ,  $y = 0.177$ ; C<sub>7</sub>:  $x = 0.071$ ,  $y = 0.113$ ; C<sub>8</sub>:  $x = 0.217$ ,  $y = 0.091$ ; S:  $x = 0.229$ ,  $y = 0.008$ ; O:  $x = 0.656$ ,  $y = 0.108$  (C.A. numbering). The mol. includes with (010) an angle of  $27^\circ$ . In indigo the inclinations to all 3 planes of the elementary cell are considerable; the plane of the benzene ring is nearly parallel to (210). A 3-dimensional Fourier synthesis gave the following coordinates in indigo: Br C<sub>1</sub>:  $x = 0.049$ ,  $y = 0.907$ ,  $z = 0.020$ ; C<sub>2</sub>:  $x = 0.103$ ,  $y = 0.793$ ,  $z = 0.142$ ; C<sub>3</sub>:  $x = 0.107$ ,  $y = 0.545$ ,  $z = 0.138$ ; C<sub>4</sub>:  $x = 0.277$ ,  $y = 0.431$ ,  $z = 0.212$ ; C<sub>5</sub>:  $x = 0.334$ ,  $y = 0.354$ ,  $z = 0.165$ ; C<sub>6</sub>:  $x = 0.373$ ,  $y = 0.241$ ,  $z = 0.087$ ; C<sub>7</sub>:  $x = 0.293$ ,  $y = 0.433$ ,  $z = 0.015$ ; C<sub>8</sub>:  $x = 0.208$ ,  $y = 0.602$ ,  $z = 0.029$ ; N:  $x = 0.121$ ,  $y = 0.793$ ,  $z = 0.033$ ; O:  $x = 0.059$ ,  $y = 0.847$ ,  $z = 0.219$ . In indigo no simple bondings occur, also no classic double bonds. The bondings are intermediate between single and double valence bonds, and

Gribova E.A. Zhdanov G.S. and Golan G.A.

only in the benzene rings but also in the heterocyclic part, i.e., of the mol. A system of single  $\pi$  electron interaction is accomplished; an equinodal linear bond configuration is not real. The distance N-O in the indigo mol. is practically the sum of the internuclear radii of both elements. No inter H bonds occur, but between the CO and NH groups, the bonding is of the mol.-hydrogen-bond type, and every mol. is bonded to 4 surrounding mol. by such H bonds. The thermal stability of indigo is thus explained. The electronic distribution shows a distinctly decreasing tendency from the center to the periphery of the mol.; this illustrates the thermal oscillations of the whole mol. around its center of gravity. The absence of cis-trans isomers is also explained by the results of the structure data. In the present paper,

W. J. L. J.

3/2/2  
2/2/2

Golder, G. A.

Distr: LE41/LE33

Compounds of constant and of variable composition in the  
sodium superoxide-sodium chloride system. F. V. R. R.  
and G. A. Golder. *Proc. Acad. Sci. U.S.S.R., Ser.  
Chem.* 110, 835-8 (1956) (English translation). *Sov. Chem.*  
31, 14480c. R. M. R.

fm

2

RODE, T.V.; GOL'DER, G.A.

Compounds of constant and variable composition in the  $\text{NaO}_2$ -  
 $\text{Na}_2\text{O}$  system. Dokl. AN SSSR 110 no.6:1001-1004 O '56. (MLRA 10:2)

1. Institut obshchey i neorganicheskoy khimii imeni  
N.S. Kurnakova Akademii nauk SSSR. Predstavleno akademikom  
I.I. Chernyayevym.  
(Sodium oxides)



AUTHOR: Ozerov, R.P., Gol'der, I.A. and Zhdanov, G.B. 70-2-3/24

TITLE: An X-ray structural investigation of the oxygen vanadium  
bronzes of sodium and potassium  $\text{Me}_{0.33}\text{V}_2\text{O}_5$ . (Rentgenograf-  
icheskoye issledovaniye struktury kislorodnykh vanadiyevykh  
bronzy natriya i kaliya  $\text{Me}_{0.33}\text{V}_2\text{O}_5$ .)

RELATIONAL: "Kristallografiya" (Crystallography), 1970, Vol. 8,  
No. 2, pp. 217-225 (U.S.S.R.)

ABSTRACT: Experiment 1. The valency state of V in bronzes and in  
vanadium-sulfur-oxygen catalysts is particularly of interest.  
Crystals of composition  $(\text{K},\text{Na})_2\text{O} \cdot \text{V}_2\text{O}_5 \cdot 4.5\text{V}_2\text{O}_5$  were obtained as  
black laths having a blue metallic lustre. They showed a  
large number of faces including the simple forms 102, 101,  
100, 001 variously developed. X-ray photographs assigned  
them to the laue class  $2/m = C_{2h}$ . Weissenberg and oscill-  
ation photographs (11.456 cm diameter camera) with Fe radia-  
tion gave unit cell dimensions  $a = 10.039$ ,  $b = 3.605$ ,  $c = 15.335$  Å  
(all  $\pm 0.005$  Å) and  $\beta = 109^\circ 12' \pm 3'$ , for the sodium compound  
 $\text{Na}_{0.33}\text{V}_2\text{O}_5$ . This gives  $V = 524.2$  Å<sup>3</sup>. The compound  $\text{K}_{2/12}\text{V}_{12/30}\text{O}_{50}$   
and  $d_{\text{obs}} = 9.57$  g/cm<sup>3</sup> having  $z = 1$  (0.97).  $d_{\text{calc}}$  is then 9.60.

Card 1/3

Available: Library of Congress

70-2-3/24

An X-ray structural investigation of the oxygen vanadium  
bronzes of sodium and potassium  $\text{K}_{0.25}\text{V}_2\text{O}_7 \cdot (0.25\text{H}_2\text{O})$

The possible space groups (from the extinctions) were  $A2/a$ ,  $A/2$  and  $Am$ . On the basis of a knowledge of the crystal chemistry of the oxides of V, Nb and Ta and of the W bronzes the group  $A2/a$  was chosen. This is confirmed by the dimension  $b$  which leads to the expectation of octahedra or trigonal bipyramids (see A.P. Chetov - *Dokl. Akad. Nauk*, 1951, 1955). Main Mo radiations 800 reflections were measured from reticograph pictures using comparison scales. No extinction corrections were applied.  $P(h,k)$  was constructed. A.D. Wadsley's determination of the structure of  $\text{K}_{0.25}\text{V}_2\text{O}_7$  helped in solving this Patterson projection. Projections for both Na and K bronzes were constructed. Several atoms covering and this was the reason for repeating Wadsley's work. The Fourier section at  $y = 0$  was calculated giving coordinates for the K bronze very close to those found by Wadsley (Acta Crystallogr. 14, 8, 835, 1958) for the Na bronze. A table of interatomic distances is given. Slight differences naturally occur in the Mo-O distances (as observed for K bronze first followed by Wadsley's values for the Na bronze); Mo-O<sub>1</sub> (2.20, 2.46); Mo-O<sub>2</sub> (2.49, 2.75); Mo-O<sub>4</sub> (2.50, 2.51);

Card 2/3

70-2-3/24

An X-ray diffractometric investigation of the oxygen vanadate complexes of sodium and potassium  $\text{Me}_{0.5}\text{V}_2\text{O}_7$ . (Cont.)

$\text{Me}-\text{O}_2$  (1.37; 1.51);  $\text{Me}-\text{Me}$  (1.66, 2.22). The geometry of the structure is discussed. The monomer is built from strongly distorted  $\text{VO}_6$  octahedra. The distortion is so great that certain groupings are better regarded as trigonal bipyramids. The polyhedra differ greatly from themselves V-O distances oscillating to 1.77, 1.79, 1.89, 2.00 and 2.30 Å. There is a strong correspondence with the structure of the V oxides. The alkali atoms lie in canals between the octahedra each surrounded by seven oxygens. Seven-fold co-ordination is rare but is also found in the ion  $(\text{BaF}_7)^{-4}$  and in  $\text{Bi}_2\text{Cl}_7$ .

Card 3/3 There are 3 figures, 2 tables and 20 references, 10 of which are Slavic.

ASSOCIATION: Ya.V. Samoylov Scientific Institute for Fertilisers and Insecto-fungicides. (Nauchnyy Institut po Azobreniyam i Insekto-Fungisidam im Ya.V. Samoylova)

SUBMITTED: September 21, 1976.

AVAILABLES: Library of Congress

A Radiographic Structural Examination of  
Naphthazarine

20-1186-23/13

in the elementary mesh conform the assumption (reference 1) that a center of symmetry exists in the molecule of the crystals of the 1st modification. The introduction of an inner hydrogen compound  $O \dots H-O$  in the conjugated bond-system must have caused an essential change of the  $\pi$ -electronic interaction in the whole molecule. This must, in return, lead to a redistribution of the electronic density in the molecule. A complete radiographic analysis of the crystals of this modification was interesting therefore. The lengths of the bonds between the atoms in the molecule were computed (II) from the atomic coordinates computed from  $\rho(0kl)$  (table 2). The computations of the distances between the atoms were carried out under the assumption that the molecule of the surface  $yz$  lies parallel. The angle formed by the bond-line  $C_9 - C_{10}$  with the  $y$ -axis of the mesh, is  $50^\circ$ . The smallest distance between the carbon- and oxygen-atoms in various molecules is  $3,10 \text{ \AA}$ . The results of the radiographic structural analysis confirm the presence of a center of symmetry in the 1st modification of naphthazarine. As mentioned above, all 3 modifications precipitate simultaneously with the crystallization of the solution: 2 centrosymmetrical ones (A), and a none-centro-symmetrical one (B). The

Card 2/4

## A Radiographic Structural Examination of Naphthazarine 20-118.4-23/43

recrystallization of each of these modifications leads in return to the formation of all these 3 modifications, though one of them prevails largely. It may thus be presumed that the transition of an isomer of an A-structure into an isomer of a B-structure (and viceversa) takes place. This transition is explained with scheme III and was presumed in reference 4. The orientation in space of the molecule in the  $yz$ -surface achieved by the authors, is very similar to that for the centro-symmetrical modification 2) given in reference 3. A three-dimensional synthesis is required for determining the 3rd coordinate  $x$  and for defining precisely the obtained results. There are 1 figure, 2 tables, and 4 references, 1 of which is Slavic.

ASSOCIATION: Physico-Chemical Institute imeni L. Ya. Karpov  
(Fiziko-khimicheskiy institut im. L. Ya. Karpova)

PRESENTED: November 20, 1957, by M. V. Belov, Academician.

SUBMITTED: August 16, 1957.  
Card 3/4

20-119-1-23/51

AUTHORS: Dokunikhin, N. S., Gol'der, G. A., Udanov, V. S.

TITLE: The Radiographic Investigation of 1,4-di-Anilido-Anthraquinone and 1,4-Dimesido-Anthraquinone (Radiograficheskoye issledovaniye 1,4-dianilidoantrakhinona i 1,4-dimesidoantrakhinona)

PERIODICAL: Doklady Akademii Nauk SSSR, 1958, Vol. 119, Nr 1, pp. 87 - 89 (USSR)

ABSTRACT: Sulfo acids of 1,4-di-(arylamino)-anthraquinone form an important group of solid dyes for wool. The majority of the 1,4-di-(arylamino)-substitutes of anthraquinone are green. An exception is made by the derivatives in which all hydrogen atoms, in an ortho-position, of the aryl-residues are substituted. Such compounds as well as the corresponding alkyl-amino-and hydro-aryl-amino-derivatives have an intensive bright-blue color. In the presence of methyl-ethyl-groups or of bromine atoms in all ortho-positions of the phenyl residues or in the position of 2,3-anthraquinone respectively

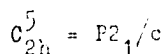
Card 1/6

100-110-1-23/52

The Radiographic Investigation of 1,4-di-Arylamino-Anthraquinone and  
1,4-Dimesido-Anthraquinone

cycles by hydrogen and is caused by the distortion of the conjugation system (Reference 1). It would be desirable to find a direct proof of the flat character of the molecules of 1,4-di-(arylamino)-anthraquinone in the absence of spatial difficulties. For the purpose of deciding the problem of coplanarity of the benzene nuclei with the plane of the basic part of the molecule, crystals of both compounds mentioned in the title were radiographically measured. The results are given in table 1. From the dimensions of the elementary cell of the first compound can be assumed that the basic part of the molecule is here entirely or almost parallel with the ac-plane, as axis b is the shortest one (8,73 Å). From the conditions of symmetry of the spatial group

Card 3/6



23-110-1-23/52

The Radiographic Investigation of 1,4-di-Anilino-Antroquinone and  
1,4-Dimesido-Anthraquinone

follows that a slip plane with a displacement along axis  $c$  runs vertical to axis  $b$ . Thereby the 4 molecules occurring in the unit cell are orientated in layers which are perpendicular to axis  $b$ . A variant of this orientation is shown by figure 1. It similes a slight turn of the benzene nucleus in relation to the other part of the molecule as well as a certain possible turn of the entire molecule in relation to the plane  $ac$ . Thus the packing of the molecules in the crystal does not require an additional change of the angle of rotation of the benzene nucleus as compared to the free molecule. The shortest axis in the crystal of the second compound is the  $a$ -axis (7,95 Å). Its length corresponds to the dimensions of the benzene nucleus as to the  $CH_2$ -groups connected with it (9,9 Å). A solid packing of molecules in the crystal and the fulfilment of the conditions of symmetry of the spatial group for molecules of the second compound

Card 4/6



10-113-1-23,52

The Radiographic Investigation of 1,4-di-Amino-1-Anthraquinone and  
1,4-Dimeside-Anthraquinone

of the methyl groups to all meta-positions of the benzene nucleus creates so great spatial difficulties that the coming out with the anthraquinone cycles from the planarity amounts to almost  $90^\circ$ . Thereby the inner-molecular linkage is considerably weakened. There are 11 references, 1 to 10, and 5 references, all of which are Soviet.

ASSOCIATION: Nauchno-issledovatel'skiy institut organicheskikh poluproduktov i krasiteley im. K. Ye. Voroshilova (Scientific Research Institute of Organic Semiproducts and Dyes named K. Ye. Voroshilov). Nauchno-issledovatel'skiy fiziko-khimicheskiy institut im. L. Ya. Karpova (Scientific Physico-Chemical Research Institute named L. Ya. Karpov)

PRESENTED: November 20, 1957, by N. V. Kiselev, Member, Academy of Sciences, USSR

SUBMITTED: August 16, 1957

Card 6/6

RECEIVED BY THE DIRECTOR, FBI, 10/25/68

Problems in Technology and Society, vol. 2 (Problems in Technology and Society: Transition of the Institutions, no. 2). MIT Press, Cambridge, 1959. 202 p. 1,000 copies printed.

**LITERATURE CITED:** B. M. VARNHOLZ, Doctor of Chemical Sciences, U.S.S.R., Doctor of Chemical Sciences, V. A. Kabanov, A. A. Kabanov, Ya. M. Kabanov, Doctor of Chemical Sciences, V. P. Zil'ber, S. I. Mikhlin, A. A. Kabanov, S. Ya. Kabanov, Doctor of Chemical Sciences, V. M. Gerasimov, Doctor of Chemical Sciences, V. S. Chelapov (Chief Research Scientist), Institute of Chemical Sciences, L. A. Makhovaya, Tech. Univ., No. 2, Sverd.

Reference: 1968 collection of material for 28 integers for program  
 Classification: 1968

**COVERAGE:** The collection is the second issue of the *Journal of the Scientific Research Institute of Physical Chemistry* named L. I. MURPHY. It contains 17 articles which cover

Zakharin, M. I., N. M. Kozlov, T. M. Filyav (Dnepropetrovsk), A. I. Apf'lov, E. I. Zhigynova, and V. A. Izrael'sht. The oxidation of ammonia over a molybdenum catalyst.

Horowitz, J. (1974). How to Plot the Kinetic Analysis of a Reversible Reaction.

ROZDZIAŁ V. 4. THE EFFECT OF THE SPECIFIC ADJUSTMENT OF  
AGENTS ON THE MECHANISM OF HYDROGEN PRODUCTION AND THE STRUCTURE  
OF THE METAL-SOLUTION BOUNDARY

Year	1970	1971	1972	1973	1974	1975	1976	1977	1978	1979	1980	1981	1982	1983	1984	1985	1986	1987	1988	1989	1990	1991	1992	1993	1994	1995	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005	2006	2007	2008	2009	2010	2011	2012	2013	2014	2015	2016	2017	2018	2019	2020	2021	2022	2023	2024	2025	2026	2027	2028	2029	2030	2031	2032	2033	2034	2035	2036	2037	2038	2039	2040	2041	2042	2043	2044	2045	2046	2047	2048	2049	2050	2051	2052	2053	2054	2055	2056	2057	2058	2059	2060	2061	2062	2063	2064	2065	2066	2067	2068	2069	2070	2071	2072	2073	2074	2075	2076	2077	2078	2079	2080	2081	2082	2083	2084	2085	2086	2087	2088	2089	2090	2091	2092	2093	2094	2095	2096	2097	2098	2099	2100
1970	1971	1972	1973	1974	1975	1976	1977	1978	1979	1980	1981	1982	1983	1984	1985	1986	1987	1988	1989	1990	1991	1992	1993	1994	1995	1996	1997	1998	1999	2000	2001	2002	2003	2004	2005	2006	2007	2008	2009	2010	2011	2012	2013	2014	2015	2016	2017	2018	2019	2020	2021	2022	2023	2024	2025	2026	2027	2028	2029	2030	2031	2032	2033	2034	2035	2036	2037	2038	2039	2040	2041	2042	2043	2044	2045	2046	2047	2048	2049	2050	2051	2052	2053	2054	2055	2056	2057	2058	2059	2060	2061	2062	2063	2064	2065	2066	2067	2068	2069	2070	2071	2072	2073	2074	2075	2076	2077	2078	2079	2080	2081	2082	2083	2084	2085	2086	2087	2088	2089	2090	2091	2092	2093	2094	2095	2096	2097	2098	2099	2100	

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# INTERNATIONAL JOURNAL OF THE EFFECT OF INTER- MEDIARY INTERACTION ON THE PREVALENCE OF ABNORMAL OPERATIONAL OF AIRCRAFT COMPONENTS

[illegible]

Received 15 May 1996; accepted 15 May 1996

[illegible]

**Figure 1.** The effect of the number of trials on the mean accuracy of the responses. The error bars represent the standard error of the mean.

[illegible]

CONFIDENTIAL

[illegible]

**THE PROBLEM OF THE SYSTEM HOLOGRAM-MADE AT LAM**

Chernov, V. D., and A. A. Zubova. Generation of the  
radiation of free electrons.

5(2)

AUTHORS:

Kost, M. Ye., Gol'der, G. A.

SOV/78-4-7-4/44

TITLE:

The Crystal Structure and Density of Cerium Hydrides (Kristallicheskaya struktura i plotnost' gidridov tseriya)

PERIODICAL:

Zhurnal neorganicheskoy khimii, 1959, Vol 4, Nr 7, pp 1488-1490 (USSR)

ABSTRACT:

Cerium hydrides with a composition of from  $\text{CeH}_{0.2}$  to  $\text{CeH}_3$  were investigated. The trihydride was produced in an apparatus described in an earlier paper (Ref 5). The samples poor in hydrogen were obtained by heating and by sucking off the liberated hydrogen. The composition of the hydrides was determined by measuring the hydrogen liberated in a solution of hydrochloric acid. The Debye powder patterns were recorded by means of the camera RKD. The values of the lattice periods are given by table 1. Up to the composition  $\text{CeH}_{1.5}$  two cubical face-centered lattices exist, which correspond to the metal Ce and to the dihydride. The sample  $\text{CeH}_{1.97}$  shows a phase in the period 5.55 Å. A further increase of the hydrogen content leads to a reduction of the period to 5.53 Å at  $\text{CeH}_{2.73}$ . If the com-

Card 1/2

SCV/78-4-7-4/44

## The Crystal Structure and Density of Cerium Hydrides

position  $\text{CeH}_3$  is approached, the lines widen, so that exact calculation of the lattice period is rendered difficult. Because of the great sensitivity of cerium hydrides to vestiges of water, density was determined in an apparatus (Fig 1), in which argon was used as a pyknometric substance, and in which the volume of the sample was determined on the basis of a variation of pressure according to the Boyle-Mariotte law. The density of the various hydrides is given by table 2. It decreases up to the compound  $\text{CeH}_2$ , after which it rises somewhat up to  $\text{CeH}_3$ .

Figure 2 gives a graphical comparison of density variations with the X-ray pictures, the curve of which shows the presence of two phases (metallic cerium and  $\text{CeH}_2$ ) up to the compound  $\text{CeH}_2$ .

The lines of the metallic Ce then vanish. The phase with the periods 5.645 - 5.612 Å, which was observed by M. C. Auphas-sorho (Refs 3,4) could not be found. There are 2 figures, 2 tables, and 8 references, 2 of which are Soviet.

SUBMITTED: April 4, 1958

Card 2/2

34(4), 5(1)

JUN 76-21-2-07/71

## AUTHORS:

Zol'tser, Z. A., Shcheglov, B. S., Lomonosov, V. V., Kuznetsov, A. G. N., Shugrov, Ye. A.

## TITLE:

The Use of X-Ray Phase Analysis in Chemical Technology (Pri-  
meneniye rentgenovskogo fazovogo analiza khimicheskoy tekhnol-  
nologii)

## PERIODICAL:

Zavodskaya Laboratoriya, 1976, Vol. 32, No. 4,  
pp. 131 - 133 (USSR)

## ABSTRACT:

The present paper lists the results of investigations carried out by the laboratories of the plant "Gorkhodyrskiy zavod", Yaroslavl', GIPN-V, IRISA, "Krasnyy Khimik", Leningrad, Fiziko khimicheskii institut im. L. Ya. Karpova (Leningrad), Chemical Institute imeni L. Ya. Karpov) and others. A standard domestic X-ray apparatus was used. Since the X-ray phase analysis has a low sensitivity for impurities, it should not be used for determining small amounts of impurities (less than 1-3%). Analyses of different types of materials are described: 1) A study of titanium dioxide and its determination, the optimum production conditions of rutile. 2) In the case of a lead oxide it was found by X-ray analysis that the

Card 1/2

## The Use of X-Ray Phase Analysis in Chemical Technology JV/10-21-4-17/71

yellow substance did not correspond to the usual red tetragonal modification of  $PbO$ , but to the yellow rhombic modification, and that the color was due to a polymorphous change. 3) By means of X-ray analysis it was possible to simplify the production control of active pyrolusite of the GAF. 4) Examinations of domestic and foreign reacting types were carried out to determine the dispersion degree of the iron oxide. 5) Moreover, the production of thiourea was controlled with regard to dicyan-diamide. 6) The X-ray analysis was also successfully used in the examination of luminophores, and can also be applied for the examination of other substances (e.g., catalysts).

ASSOCIATION: Na chno-issledovatel'skiy fiziko-khimicheskii institut im. L. Ya. Karpova (Scientific Research Institute of Physical Chemistry imeni L. Ya. Karpov)

Card 2,2

GOLDEN, G.A. [translator]; DUDAREV, V.Ya. [translator]; SOLOV'YEV,  
S.P. [translator]; ZHDANOV, G.S., red.; LAJIN, S.I., red.;  
BELEVA, M.A., tekhn. red.

[Annihilation of positrons in solids] Annigiliatsia po-  
zitronov v tverdykh telakh; sbornik statei. Moskva, Izd-vo  
inostr. lit-ry, 1960. 228 p. (MIRA 15:3)  
(Positrons)

RODE, T.V.; GOL'DER, G.A.; ZACHATSKAYA, A.V.

Interaction of sodium peroxide and sodium superoxide with sodium  
bicarbonate. Zhur. neorg. khim. 5 no.3:535-539 Mr'60. (MIRA 14:6)

(Sodium peroxide)  
(Sodium superoxide)  
(Sodium carbonate)



MIRKIN, Lev Iosifovich; UMANSKIY, Ya.S., prof., red.; GOL'DER, G.A., red.;  
MAKAROV, Ye.F., red.; MURASHOVA, N.Ya., tekhn. red.; TUMARKINA, N.A.,  
tekhn. red.

[Manual on X-ray diffraction analysis of polycrystals] Spravochnik po  
rentgenostrukturnomu analizu polikristallov. Pod red. I.A.S.Umanskogo.  
Moskva, Gos. izd-vo fiziko-matem. lit-ry, 1961. 863 p. (MIRA 14:8)  
(X-ray crystallography)

GOL'DER, G.A.; TODRES-SELEKTOR, Z.V.; BOGDANOV, S.V.

Structure of benzofuroxan. Zhur.struk.khim. 2 no.4:478-479  
Jl-Ag '61. (MIRA 14:9)

1. Nauchno-issledovatel'skiy fiziko-khimicheskiy institut imeni  
L.Ye. Karpova i Gosudarstvennyy nauchno-issledovatel'skiy insti-  
tut organicheskikh poluproduktov i krasiteley imeni L.Ye.  
Voroshilova.

(Benzofuroxan)

CHETKINA, L.A.; GOL'DER, G.A.; ZHDANOV, G.S.

X-ray diffraction study of dihalogen derivatives of anthraquinones. Kristallografiia 6 no.4:628-629 J1-Ag '61. (MIRA 14:8)

1. Fiziko-khimicheskiy institut imeni L.Ya.Karpova i Moskovskiy gosudarstvennyy universitet imeni M.V.Lomonosova.

(Anthraquinone) (X-ray crystallography)  
(Halogen compounds)

S/192/62/003/032/003/004  
3267/5301

AUTHORS: Chamova, V.N. and Gol'der, G.A.  
TITLE: X-ray investigation of the potassium carbonate  
peroxyhydrate  $K_2CO_3 \cdot 5H_2O_2$   
PERIODICAL: Zhurnal strukturnoy khimii, v. 3, no. 2, 1962,  
215 - 216

TEXT: One of the authors (Ref.2: Makarov, S.E., Chamova,  
V.N., Izv. Akad. Nauk SSSR, Otd. khim. nauk, v. 3, 1958, 1023) dis-  
covered a stable solid phase of the above composition. X-ray analysis  
of this substance was carried out by the powder and monocrystal method,  
and the crystal was found to belong to the orthorhombic system. The  
parameters of the elementary cell are :  $a = 5.50$ ,  $b = 6.64$ ,  $c = 17.6$  A.  
The density of the peroxyhydrate was measured ( $d = 2.02$ ). There are  
four molecules in the elementary cell, and the calculated density is  
 $d = 2.01$

Card 1/2